

Gravity and Uniform Acceleration

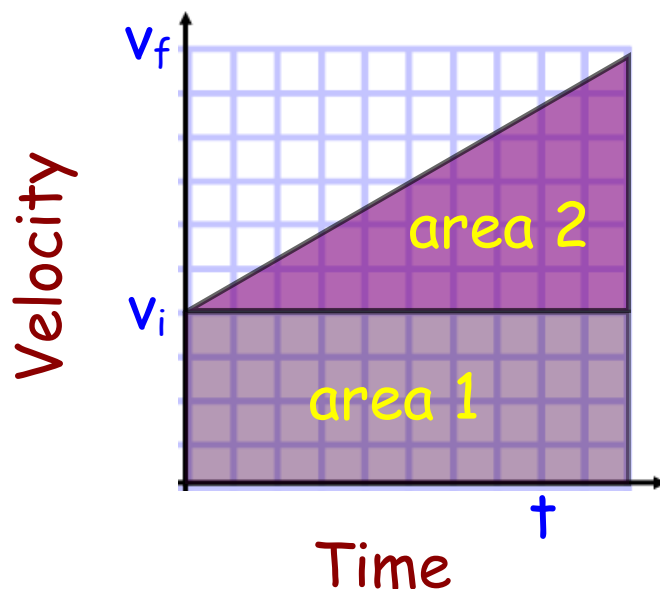


On average, the acceleration due to gravity on the Earth's surface is 9.8 m/s^2 [downward]. This means that in the absence of air resistance, an object falling freely toward Earth **accelerates** at 9.8 m/s^2 [downward]

Solving Uniform Acceleration Problems

Remember: $\vec{a}_{av} = \frac{\vec{v}_f - \vec{v}_i}{\Delta t}$

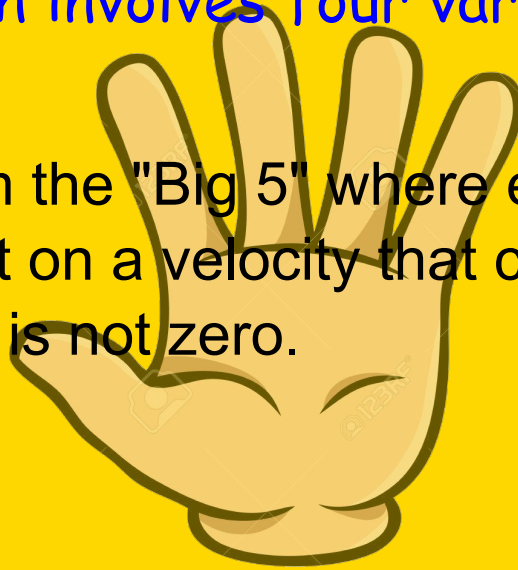
Also, looking at a velocity-time graph of uniform acceleration we can use the area under the line to derive an equation for displacement.



$$\Delta d = \text{area 1} + \text{area 2}$$

We can combine these two equations to form three other uniform acceleration equations, each of which involves four variables.

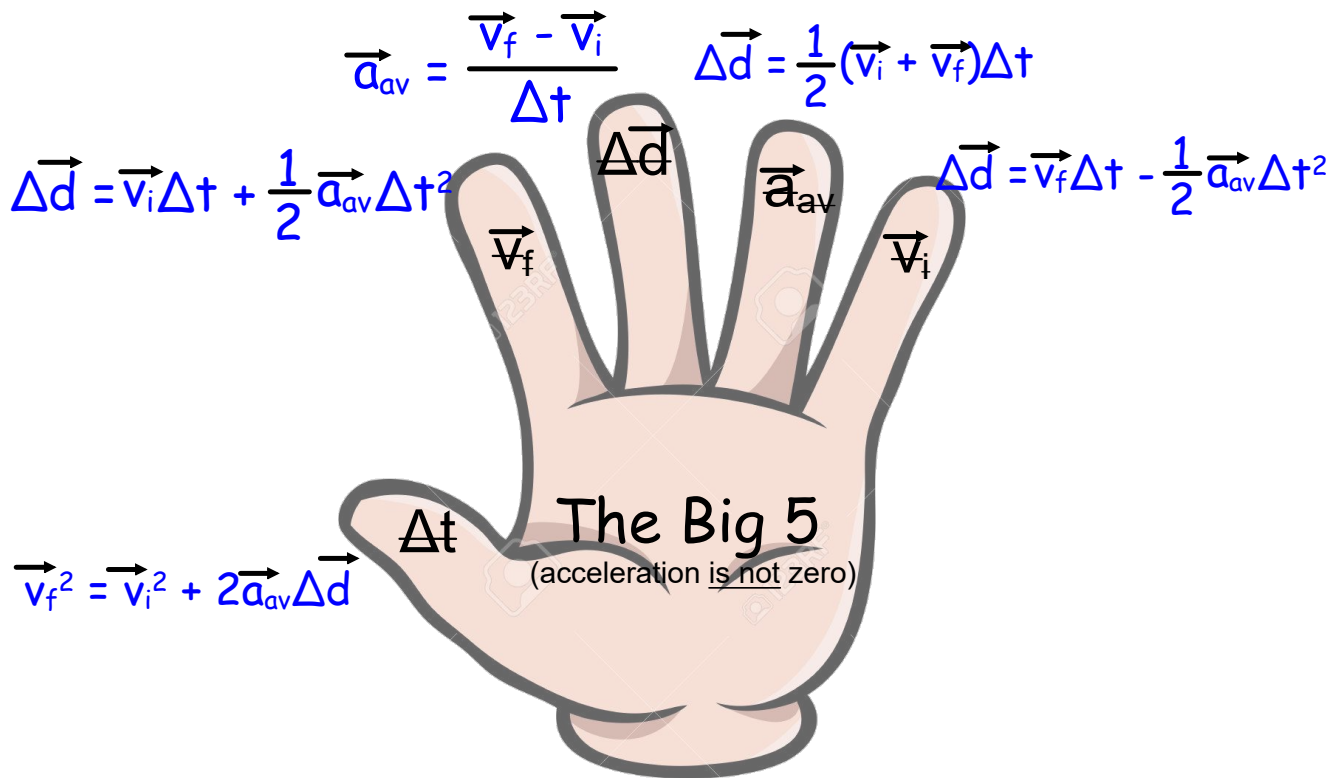
We call them the "Big 5" where each equation is dependent on a velocity that changes. ie - acceleration is not zero.



Then, substitute this equation into our displacement equation.

$$\Delta d = 1/2(v_i + v_f)\Delta t$$

Gravity and Uniform Acceleration Equations



Note: When acceleration is zero, then we have constant speed and can use the average velocity equation from earlier.

$$\vec{v}_{av} = \frac{\Delta\vec{d}}{\Delta t} \longrightarrow$$

Example 1:

Starting from rest at $t = 0.0 \text{ s}$, a car accelerates uniformly at $4.1 \text{ m/s}^2 [S]$. What is the car's displacement from its initial position at 5.0 s ?



Example 2

It was once recorded that a Jaguar left skid marks that were 2.90×10^2 m in length. Assuming that the Jaguar skidded to a stop with a constant acceleration of 3.90 m/s^2 (backward), determine the speed of the Jaguar before it began to skid.

Example 3

An "olympic diver" falls from rest from a high platform. Assume that the fall is the same as the official height of the platform above water, 10.0 m. At what velocity does the diver strike the water?

