

# PROPERTIES OF *Angles and Triangles*

In this unit, we will:

- ✎ prove properties of angles formed by intersecting lines
- ✎ prove properties of angles in triangles and other polygons
- ✎ use properties to solve geometric problems

# GEOMETRIC PROPERTIES

## *A Review:*

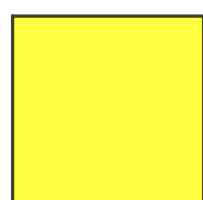
Specific names are given to specific shapes.

POLYGONS - Shapes with many sides  
- All shapes with straight sides

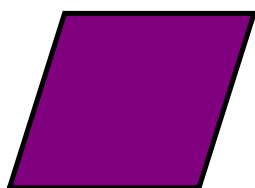
triangle	3
quadrilateral	4
pentagon	5
hexagon	6
heptagon	7
octagon	8

# Types of QUADRILATERALS

Square



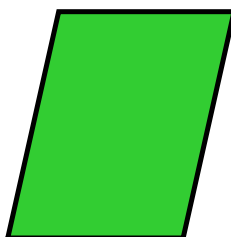
Rhombus



Rectangle



Parallelogram



Trapezoid

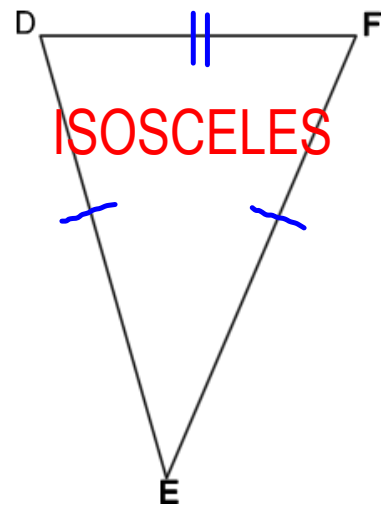
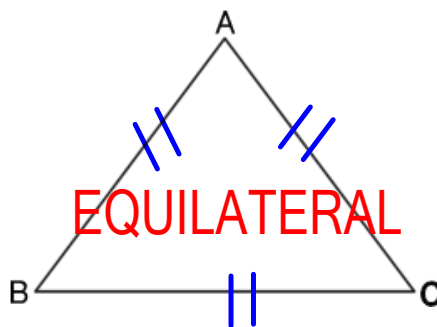
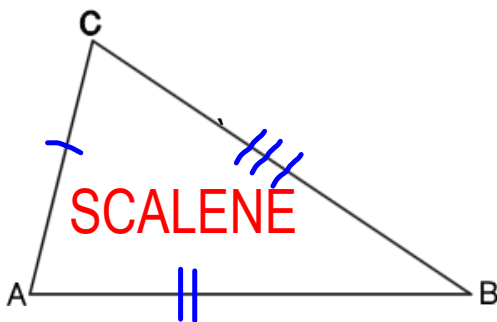


# TRIANGLES

Triangles can be classified by the length of their sides or by the measurement of their angles.

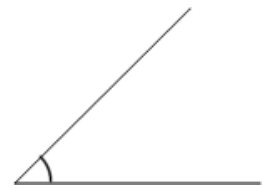
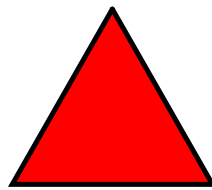
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## Length Of Their Sides:

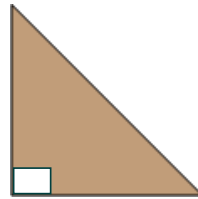


Measurement Of Their Angles:

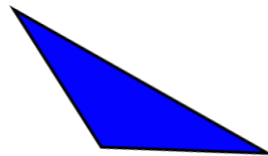
Acute Angle



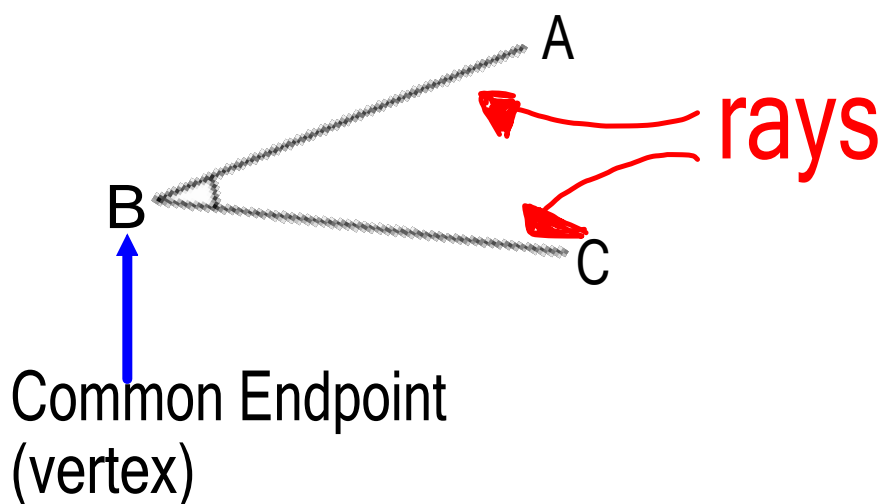
Right Angle



Obtuse Angle



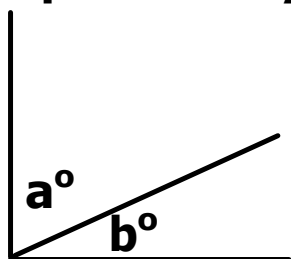
# PARTS OF ANGLES



To name an angle we use  $\angle ABC$ ,  $\angle CBA$ , or simply  $\angle B$ .

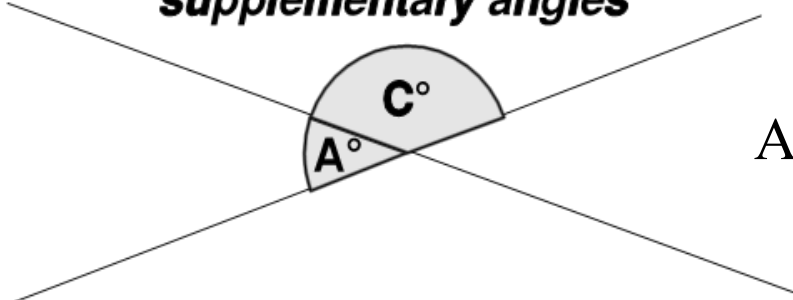
# GEOMETRIC PROPERTIES

**complementary angles**



$$A + B = 90 \text{ degrees}$$

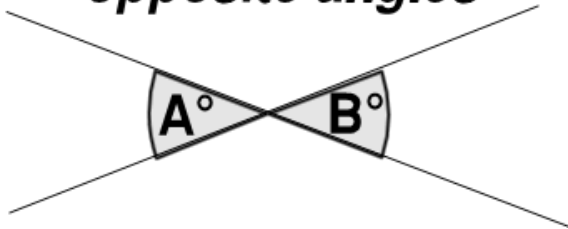
***supplementary angles***



$$A + C = 180 \text{ degrees}$$

# GEOMETRIC PROPERTIES

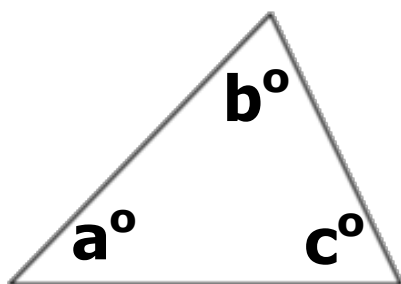
*opposite angles*



$$A = B$$

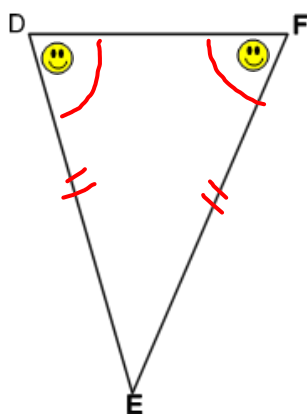


## sum of the angles in a triangle theorem (SATT)



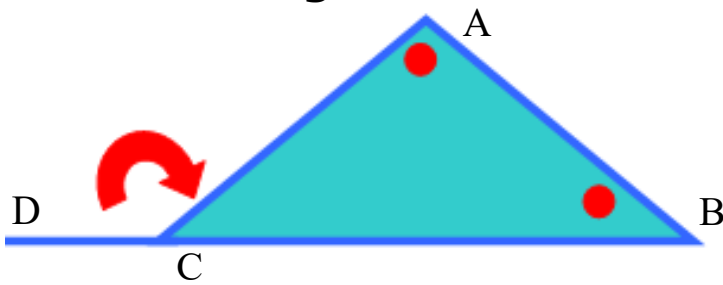
$$a + b + c = 180 \text{ degrees}$$

## isosceles triangle theorem



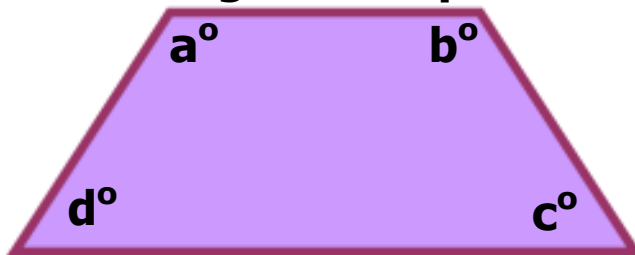
Since  $DE = FE$ , then  $\angle D = \angle F$

**exterior angle theorem**



$$A + B = \angle ACD$$

**sum of the angles in a quadrilateral**



$$a + b + c + d = 360^\circ$$